

# Summary – Week 1

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- Instead of making a direct image of the sky, an interferometer simply fills the  $uv$  plane.
- Apply **Inverse Fourier Transform** to get a representation of the sky.

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- How did we do all this in Python?

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- **fringefit** - Derive phase/delay corrections.

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- Single-band or instrumental delays
- Multiband delays
- Bandpass calibration
- Elevation dependent gain calibration

## Applying the corrections

- We apply the corrections using **applycal**
- Creates a new column called **CORRECTED\_DATA**.
- Data size grows by a factor  $\sim 2$ .
- If we want, we can also split the data with **split**

# Deconvolution

- From the lecture, we saw

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# Deconvolution

- From the previous slide,

$$I_{\text{Obs}}(l, m) = \mathcal{F}^{-1}[W(u, v)] \circledast \mathcal{F}^{-1}[V(u, v)] \quad (6)$$

- ▶  $\mathcal{F}^{-1}[W(u, v)]$  is called “dirty beam”
  - ▶  $I_{\text{Obs}}(l, m)$  is called the “dirty image”
  - ▶  $\mathcal{F}^{-1}[V(u, v)]$  is the “true sky”
- The “dirty image” is the “true sky” convolved by the “dirty beam”.
  - To get the “true” sky image  $\rightarrow$  we deconvolve our “dirty image” with the “dirty beam”